On control engineering, reliability and smart infrastructure enabling safer autonomous vehicle operation

Cranfield University

> **Professor Argyrios Zolotas** Centre for Autonomous and Cyber-Physical Systems



Cranfield University...

1946

- Cranfield is situated in Bedfordshire, England
- Between London and Birmingham
- Cranfield is ranked in the world's top 30 institutions for the subject area 'Engineering – Mechanical, Aeronautical' (2024 QS World University)





- Preamble (background)
- Control engineering and reliability
- Autonomy and the role of infrastructure in validation
- Towards autonomous systems certification



Autonomous and Cyber-Physical Systems Centre



Our Centre develops the technology behind autonomous vehicles which operate in the air, on land, at sea and in space.

Additional expertise is in the field of UAS Traffic Management, focusing on safe integration of UAS in national airspace.

We have an outstanding international reputation for the quality of our work and our capability of performing both theoretical and experimental studies





Novel UAS Design and Green Air Vehicles

System Centric Aerospace Research





Variable pitch for 4+ rotor UAS



In-series Hybrid Power System



Development of a Novel Polyhedral Mult-copter







Hybrid Electric Aerial Platforms

BVLOS UAS



Advanced Mobility Ecosystem Consortium





Innovate UK

Future Flight Programme Challenge

Developing new ecosystem to demonstrate the commercial and operational viability of Advanced Air Mobility (AAM) flying taxi and accelerate the net zero target.









Transport System

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Control Engineering and Reliability

Control Engineering = enabling technology

Example: Advanced control of Tilting Trains

- Clear commercial benefit of tilting trains substantial reduction in journey
- Increasing speed by 30% but maintain acceptable ride quality levels on same track!
- Concept: vehicle tilts inwards on curved section of the rail track (corners)
- Commercial tilt controllers use precedence information (from precedent vehicle sensors with appropriate delays) or track database (GPS)
- Complex schemes, inter-vehicle signal connections train performance optimised for specific route, direction-sensitive, fault detection difficult, track databases require often update
- Work on simpler local/'per vehicle' controller structures possible via advanced/modern control concepts









Control Engineering = enabling technology

Advanced control of Tilting Trains

- Fundamental study of tilt control concept
- Detailed modelling of end-view (Linear/Non-Linear)
- Rigorous analytical investigation of nulling-tilt problem
- Development of an assessment approach of dynamic tilt controllers' performance
- Employing robust H-inf controllers and estimator-based solutions
- Extensions to simplified tilt control with fuzzy control correction
- Incorporation of dual actuator studies (both tilt and active lateral) to further enhance performance
- Hardware-in-the-Loop studies
- Use of fractional control based enhancements



End-view model with tilting bolster



Reliability and path to autonomy

Al-based fault tolerant control with multiple sensing / actuating capabilities and validation with assured solutions (i.e. Kalman filters)

	I	1	Training data							Estimated cancer/retrators simple											
Actuator/	Actuator/					Iraini		L							Estimat	ed senso		ors sign	ais		
Sensor Set Number	Sensor Status	y_1	y_2	y_3		y_{n_y}	<i>u</i> ₁	u_2	u_3		u_{n_u}	\hat{y}_1	\hat{y}_2	\hat{y}_3		$\hat{y}_{n_{\hat{y}}}$	\hat{u}_1	\hat{u}_2	\hat{u}_3		$\hat{u}_{n_{\hat{u}}}$
	Healthy sets:	$D_{y_{1}^{1}}^{1}$	$D^{1}_{y^{1}_{2}}$	$D^{1}_{y^{1}_{3}}$		$D^{1}_{y^{1}_{n_{y}}}$	$D^{1}_{u_{1}^{1}}$	$D^{1}_{u^{1}_{2}}$	$D^{1}_{u_{3}^{1}}$		$D^{1}_{u^{1}_{n_{u}}}$	$D^{1}_{\hat{y}^{1}_{1}}$	$D^{1}_{\hat{y}^{1}_{2}}$	$D^{1}_{\hat{y}^{1}_{3}}$		$D^{1}_{\hat{y}^{1}_{n_{\hat{y}}}}$	$D^{1}_{\hat{u}^{1}_{1}}$	$D^{1}_{\hat{u}^{1}_{2}}$	$D^{1}_{\hat{u}^{1}_{3}}$		$D^{1}_{\hat{u}^{1}_{n_{\hat{u}}}}$
1	$\begin{array}{l} \mathcal{Y} = y_1, y_2, \dots, y_{n_y} \\ \mathcal{U} = u_1, u_2, \dots, u_{n_u} \end{array}$	$\begin{bmatrix} \vdots \\ D_{y_1^k}^1 \end{bmatrix}$	$D_{y_2^k}^1$	$D_{y_3^k}^1$		$D_{y_{n_n}^k}^{1}$	$\begin{bmatrix} \vdots \\ D_{u_1^k}^1 \end{bmatrix}$	$D_{u_2^k}^1$	$D_{u_3^k}^1$		$D^1_{u^k_{n_n}}$	$\begin{array}{c} \vdots \\ D_{y_1^k}^1 \end{array}$	$D^{1}_{\hat{y}^{k}_{2}}$	$D^1_{\hat{y}^k_3}$		$D^{1}_{\hat{y}^{k}_{n,c}}$	$D^1_{\hat{u}^k_1}$	$D^{1}_{\hat{u}_{2}^{k}}$	$D^1_{\hat{u}^k_3}$		$D^1_{\hat{u}^k_{n_c}}$
2	Faulty set:	$c_{y_{1}^{1}}^{2}$	$D_{y_{2}^{1}}^{2}$	$D^{2}_{y^{1}_{3}}$		$D^{2}_{y^{1}_{n_{y}}}$	$D_{u_{1}^{1}}^{2}$	$D_{u_{2}^{1}}^{2}$	$D_{u_{3}^{1}}^{2}$		$D^{2}_{u^{1}_{n_{u}}}$	$c_{\hat{y}_{1}^{1}}^{2}$	$D^{2}_{\hat{y}^{1}_{2}}$	$D^{2}_{\hat{y}^{1}_{3}}$		$D^{2}_{\hat{y}^{1}_{n_{\hat{y}}}}$	$D^{2}_{\hat{u}^{1}_{1}}$	$D^{2}_{\hat{u}^{1}_{2}}$	$D^{2}_{\hat{u}^{1}_{3}}$		$D^{2}_{\hat{u}^{1}_{n_{\hat{u}}}}$
	y_1	$\begin{array}{c} \vdots \\ c_{y_1^k}^2 \end{array}$	$D_{y_2^k}^2$	$D_{y_3^k}^2$		$D_{y_{n_n}^k}^2$	$\begin{array}{c} \vdots \\ D_{u_1^k}^2 \end{array}$	$D_{u_2^k}^2$	$D_{u_3^k}^2$		$D_{u_{n_n}^k}^2$	$\begin{array}{c} \vdots \\ c_{\hat{y}_{1}^{k}}^{2} \end{array}$	$D_{\hat{y}_{2}^{k}}^{2}$	\vdots $D_{\dot{y}_{3}^{k}}^{2}$		$D^2_{\hat{y}^k_{n,c}}$	$\begin{array}{c} \vdots \\ D_{\hat{u}_1^k}^2 \end{array}$	$D^{2}_{\hat{u}_{2}^{k}}$	$D^2_{\dot{u}_3^k}$		$D^2_{\hat{u}^k_{n,c}}$
3	Faulty set:	$c_{y_{1}^{1}}^{3}$	$c_{y_{2}^{1}}^{3}$	$D^{3}_{y^{1}_{3}}$		$D^{3}_{y^{1}_{n_{y}}}$	$D_{u_{1}^{1}}^{3}$	$D^{3}_{u^{1}_{2}}$	$D^{3}_{u_{3}^{1}}$		$D^{3}_{u^{1}_{n_{u}}}$	$c^{3}_{\hat{y}^{1}_{1}}$	$c^{3}_{\hat{y}^{1}_{2}}$	$D^{3}_{\hat{y}^{1}_{3}}$		$D^{3}_{\hat{y}^{1}_{\hat{n}_{\hat{y}}}}$	$D^{3}_{\hat{u}^{1}_{1}}$	$D^{3}_{\hat{u}^{1}_{2}}$	$D^{3}_{\hat{u}^{1}_{3}}$		$D^{3}_{\hat{u}^{1}_{n_{\hat{u}}}}$
	y_1, y_2	$\begin{array}{c} \vdots \\ c_{y_{*}^{k}}^{3} \end{array}$	$c_{y_2^k}^3$	$\vdots D_{y_2^k}^3$		$D_{y_{k}^{k}}^{3}$	$\begin{bmatrix} \vdots \\ D_{u_1^k}^3 \end{bmatrix}$	$D_{u_{2}^{k}}^{3}$	$D_{u_{2}^{k}}^{3}$		$D_{u_{k}}^{3}$	$\begin{array}{c} \vdots \\ c_{\hat{y}_{k}^{k}}^{3} \end{array}$	$c_{\hat{y}_2^k}^3$	$D^3_{\hat{y}^k_2}$		$D^3_{\hat{y}^k_k}$	$\begin{array}{c} \vdots \\ D_{\hat{u}_{1}^{k}}^{3} \end{array}$	$D^3_{\hat{u}^k_2}$	$D^3_{\hat{u}^k_1}$		$D^3_{\dot{u}^k_n}$
4	Faulty set:	$c_{y_{1}^{1}}^{4}$	$c_{y_{2}^{1}}^{4}$	$D_{y_{3}^{1}}^{4}$		$D_{y_{n_y}^1}^4$	$c_{u_{1}^{1}}^{4}$	$D_{u_{2}^{1}}^{4}$	$D_{u_{3}^{1}}^{4}$		$D_{u_{n_{u}}^{1}}^{4}$	$c_{\hat{y}_{1}^{1}}^{4}$	$c_{\hat{y}_{2}^{1}}^{4}$	$D_{\hat{y}_{3}^{1}}^{4}$		$D^{4}_{\hat{y}^{1}_{n_{\hat{v}}}}$	$c_{\hat{u}_{1}^{1}}^{4}$	$D^{4}_{\hat{u}^{1}_{2}}$	$D^{4}_{\hat{u}^{1}_{3}}$		$D^{4}_{\hat{u}^{1}_{n_{\hat{u}}}}$
	y_1, y_2, u_1	$\begin{array}{c} \vdots \\ c_{y_1^k}^4 \end{array}$	$c_{y_2^k}^4$	\vdots $D_{y_1^k}^4$		$D_{y_n^k}^4$	$\begin{array}{c} \vdots \\ c_{u_1^k}^4 \end{array}$	$D_{u_2^k}^4$	\vdots $D_{u_1^k}^4$		$D_{u_{n}^{k}}^{4}$	$\begin{array}{c} \vdots \\ c_{\hat{y}_{1}^{k}}^{4} \end{array}$	$c_{\hat{y}_2^k}^4$	\vdots $D_{\hat{y}_{1}^{k}}^{4}$		$D^4_{\hat{y}^k_n}$	\vdots $c_{\hat{u}_1^k}^4$	$D_{\hat{u}_{2}^{k}}^{4}$	\vdots $D^4_{\hat{u}^k_1}$		$D^4_{\hat{u}^k_n}$
5	Faulty set:	$c_{y_{1}^{1}}^{5}$	$D_{y_{2}^{1}}^{5}$	$D_{y_{3}^{1}}^{5}$		$D_{y_{n_y}^1}^5$	$c_{u_{1}^{1}}^{5}$	$c_{u_{2}^{1}}^{5}$	$D_{u_{3}^{1}}^{5}$		$D_{u_{n_{u}}^{1}}^{5}$	$c_{\hat{y}_{1}^{1}}^{5}$	$D_{\hat{y}_{2}^{1}}^{5}$	$D^{5}_{\hat{y}^{1}_{3}}$		$D^{5}_{\hat{y}^{1}_{n_{\hat{v}}}}$	$c_{\hat{u}_{1}^{1}}^{5}$	$c_{\hat{u}_{2}^{1}}^{5}$	$D^{5}_{\hat{u}^{1}_{3}}$		$D^{5}_{\hat{u}^{1}_{n_{\hat{u}}}}$
	y_1,u_1,u_2	$c_{y_1^k}^{\vdots}$	$D_{y_2^k}^5$	$: \\ D_{y_3^k}^5$		$D_{y_{n_y}^k}^{\vdots}$	$\vdots c_{u_1^k}^5$	$c_{u_{2}^{k}}^{5}$	$D_{u_3^k}^5$		$D_{u_{n_u}^k}^{5}$	$\vdots \\ c_{\hat{y}_1^k}^5$	$D_{\hat{y}_{2}^{k}}^{5}$	$: \\ D_{\hat{y}_{3}^{k}}^{5}$		$D_{\hat{y}_{n_0}^k}^{\vdots}$	$: c_{\hat{u}_{1}^{k}}^{5}$	$c_{\hat{u}_{2}^{k}}^{5}$	$D_{\hat{u}_{3}^{k}}^{5}$		$D^{5}_{\hat{u}^{k}_{n_{\hat{u}}}}$
:	:	:	:	:		:	:	:	:		:	:	:	3		:	:	:	:		:
	Faulty sets:	$c_{y_{1}^{1}}^{n_{yu}}$	$c_{y_{2}^{1}}^{n_{yu}}$		$c_{y_{n_y-1}^{n_{y_u}}}^{n_{y_u}}$	$D_{y_{n_y}^1}^{n_{yu}}$	$c_{u_{1}^{1}}^{n_{yu}}$	$c_{u_{2}^{1}}^{n_{yu}}$		$c_{u_{n_u-1}^{n_{y_u}}}^{n_{y_u}}$	$D_{u_{n_u}^1}^{n_{yu}}$	$c_{\hat{y}_{1}^{1}}^{n_{yu}}$	$c_{\hat{y}_{2}^{1}}^{n_{yu}}$		$c_{\hat{y}_{n_y-1}^1}^{n_{yu}}$	$D_{\hat{y}_{n_{\hat{y}}}^{1}}^{n_{yu}}$	$c_{\hat{u}_{1}^{1}}^{n_{yu}}$	$c_{\hat{u}_{2}^{1}}^{n_{yu}}$		$c_{\hat{u}_{n_{u}-1}^{1}}^{n_{yu}}$	$D_{\hat{u}_{n_{\hat{u}}}^{1}}^{n_{yu}}$
n_{yu}	y_1, \dots, y_{n_y-1} u_1, \dots, u_{n_y-1}	$\begin{vmatrix} \vdots \\ c_{u^k}^{n_{yu}} \end{vmatrix}$	$c_{u^k}^{n_{yu}}$		$c_{u^k}^{n_{yu}}$	$D_{u^k}^{n_{yu}}$	$\begin{vmatrix} \vdots \\ c_{u^k}^{n_{yu}} \end{vmatrix}$	$c_{u^k}^{n_{yu}}$		$c_{u^k}^{n_{yu}}$	$D_{u^k}^{n_{yu}}$	$\begin{array}{c} \vdots \\ c_{\hat{o}^k}^{n_{yu}} \end{array}$	$c_{\hat{\alpha}_{k}^{k}}^{n_{yu}}$		$c_{\hat{\mu}^k}^{n_{yu}}$	$D_{\hat{u}^k}^{n_{yu}}$	$\begin{array}{c} \vdots \\ c^{n_{yu}}_{\hat{\omega}^k} \end{array}$	$c_{\hat{\alpha}^k}^{n_{yu}}$		$c_{\hat{\alpha}^k}^{n_{yu}}$	$D_{\hat{v}^k}^{n_{yu}}$

STRUCTURE OF THE DATA USED FOR THE *i*FD TRAINING

k is the total number of samples at each actuator/sensor set.



Fig. 2. (a) General diagram of actuator/sensor FDI with the proposed iFD. (b) BS operation.



AI-based actuator/sensor fault detection with low computational cost for industrial applications <u>https://ieeexplore.ieee.org/document/7111282/</u>, highlighted in World Industrial Reporter <u>https://worldindustrialreporter.com/...</u> enabling Simpler AI-Based Industrial Fault Detection Systems

Towards Autonomy and role of infrastructure

Autonomy and its complexity







Autonomous cargo ships





Infrastructure for Autonomous Vehicle validation

- * Most infrastructures are focused either:
 - * on real driving test at physical infrastructure
 - or software simulation in virtualized infrastructure
- Neither the real driving test can cover all possible scenarios of autonomous driving and human factors,
- nor the virtualized software simulation can generate a feasible model for practical on/off-road driving.
- * Furthermore, future autonomous transport in smart cities requires comprehensive validation.







MUEAVI Sensors



12 Plextek Radar:

- 33° FOV
- Detect human at 125 m
- 77 GHz



17 Quanergy M8 Lidar:

- 360° horizontal FOV and 20° FOV
- 8 layers, 5-20 Hz update frequency
- 1-150 m range

-0

22 Overview Hydra camera:

- 1920x1080p resolution @ 25 fps
- Colour or B/W
- Pan and tilt movement: 0.05 degree to 180 degrees/sec on both axes
- 4 Dual camera with IR



12 Ouster OS-1-64 Lidar:

- 360° horiz. FOV and 32.2° vert. FOV
- 64 layers, 10-20 Hz update frequency
- 0.5-120 m range



MUEAVI Sensors Deployment





- The system
 architecture is split
 into two major
 physical sections
 where the different
 HW and SW
 modules operate:
 - * poles
 - visualisation lab





Data from various sensors entering a three stage architecture:

- Preprocessing stage includes packetizing and timestamping the data and setting up the infrastructure for data networking and transmission.
- Main processing stage where, object detection, trajectory tracking and data classification takes place.
- Manipulation stage performs data validation and completeness and forms data ready for visual representation, analysis and decision making.

Data exiting the three stage architecture are fed to a Model verification and validation stage, where a combination of dynamic system tests and formal verification for proving the correctness of intended algorithms is done.



The road is richly instrumented with various types of perceptive sensor systems providing a dense and overlapping sensor coverage area on and around the road.



MUEAVI Infrastructure

Preprocessed data from the computing nodes are received in the MUEAVI Visualization Lab, where the centralized data fusion, adaptive, detection-based sensor combination selection, raw and processed data visualization and storage take place.

- Heterogeneous Sensor Network
- Embedded edge accelerator
- High performance computer-vision server
- High capacity streaming data storage server
- Multimedia projecting system







Camera tracking scenario (control engineering element within)

- The camera tracking receives a video stream and outputs PTZ commands to the camera based on the detected objects.
- A (closed) control loop is formed by a pipeline structure comprising of three main stages:
 - NVIDIA Deepstream 4.0.1 engine,
 - Kafka apache server,
 - * ROS nodes.

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MUEAVI Sensor Demonstration - Lidar









MUEAVI Visualization Lab Demonstration



Enabler Verification, Validation, Certification of Autonomous Systems

Dynamic Decision Making Modelling

Formal methods

- Solid mathematical techniques
- Quantifiable answers to questions related with reliability of systems
- 3 parts: Modelling/Specification/Verification

Formal modelling techniques

: Message Sequence Charts, Finite State Automata, Petri Nets, and Kripke models

Kripke model

- Can represent real world uncertainty formally
- Is a triple, M=(W, R, L)
 - W: possible worlds
 - R: accessibility relation
 - R⊆W x W
 - L: labelling function
 - L:W \rightarrow P(Atoms)



Verify multi-vehicle Operations

Model Checking

- Automated procedure for verifying finite state concurrent systems
- Exhaustive (or symbolic) search of the system's state-space
- Determines the truth value of the specification in question
- Produce an error trace in case of no answer

Model checker	Description							
Simple Promela Interpreter (SPIN)	Developed for verification of protocols and software check LTL properties							
Symbolic Model Verifier (SMV)	Implement the OBDD (Ordered Binary Decision Diagram)-based symbolic model checking techniques for CTL							
Model Checker for Multi-Agent Systems (MCMAS)	Developed to verify the multi-agent systems Specify the logic including not only temporal operators but also epistemic, correct behavioural, and strategic operators $IS = \langle (L_i, Act_i, P_i, t_i)_{i \in \{1, \dots A\}}, (L_E, Act_E, P_E, t_E), I, V \rangle$							

Extracting properties as LTL formulae

<u>Reachability</u> analysis, can be written in LTL as follows:

$$\Box \left[\bigwedge_{i=1}^{N} X_{l}^{a} \mathcal{U}\left(x_{i}, y_{i}\right) \in \left([x_{goal}, x_{end}], [y_{goal}, y_{end}]\right)\right]$$

The formula can be read as:

"all vehicle continue moving until they reach the area designated as the goal area."

<u>Safety</u> properties are represented in LTL as follows:

$$\Box \neg \left[\bigwedge_{\substack{i,j=1\\i \neq j}}^{N} \sqrt{(x_{i2} - x_{j2})^2 + (y_{i2} - y_{j2})^2} < L_D \right]$$

The formula can be read as:

"no two vehicles can ever come closer than a pre-specified separation boundary."

J. Choi and A. Tsourdos "Verification of Decision Making Behaviour for Heterogeneous Multi-Agent System", AIAA Guidance, Control and Navigation Conference 2011



Supporting Certification of Autonomous Systems

Key questions remain:

- Representing uncertainty and goal functions in decision-making
- Optimising architecture for scalability and robustness
- Decentralised / Centralised decision making



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... for listening!

Thank you

Professor Argyrios Zolotas Centre for Autonomous and Cyber-Physical Systems